## Real-World Application: Ears "Popping"

If you have ever traveled in an airplane or driven high up into the mountains, you've probably noticed that your ears sometimes need to "pop." This "popping" is caused by the same change in air pressure that "pops" the egg into and out of the bottle. Air pressure decreases as altitude increases, so as you go higher, the air pressure decreases, causing the air trapped in your inner ear to push your eardrums outward. Your body tries to regain equilibrium or balance by allowing some of the air in
 your inner ear to escape through the Eustachian tubes. When the tubes open, the pressure releases and you feel the "pop."

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On the way back down to a lower altitude the air pressure increases. The extra pressure from the outside of the ear pushes the eardrums inward. Air moves in through the Eustachian tubes, the ears "pop," and balance is restored. Many people don't wait for this to happen on its own because the pressure imbalance can be uncomfortable. Instead, they just plug their noses, close their mouths, and pretend like they're blowing their noses. Because the air from their lungs has nowhere to go, it is forced into the inner ear through the Eustachian tubes, causing their ears to "pop."

## Gay-Lussac's Law

$\star$ Looks at relationship between pressure and temperature, with constant volume and moles

* If temperature goes up, the gas molecules will move faster, colliding more with the walls of the container
* Pressure results from collisions between gas molecules and walls of container



## Gay-Lussac's Law

$$
\frac{\mathrm{P}_{1}}{\mathrm{~T}_{1}}=\frac{\mathrm{P}_{2}}{\mathrm{~T}_{2}}
$$

$\star$ If $\mathrm{T} \uparrow$, then $\mathrm{P} \uparrow \ldots . . . . . . . . . . . . .$. if $\mathrm{T} \downarrow$, then $\mathrm{P} \downarrow$
Temperature must be in Kelvin

## Example Problem--Gay Lussac's Law

A can has a pressure of 1.0 atm at a temperature of $20^{\circ} \mathrm{C}$.
Determine the pressure when the temperature rises to $30^{\circ} \mathrm{C}$.


$$
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$$
\frac{\mathrm{P}_{1}}{\mathrm{~T}_{1}}=\frac{\mathrm{P}_{2}}{\mathrm{~T}_{2}} \begin{aligned}
& \begin{array}{l}
\mathrm{P}_{1}=1.0 \mathrm{~atm} \\
\mathrm{~T}_{1}=20^{\circ} \mathrm{C}+273.15=293.15 \mathrm{~K} \\
\mathrm{P}_{2}=? \\
\mathrm{~T}_{2}=30^{\circ} \mathrm{C}+273.15=303.15 \mathrm{~K}
\end{array}
\end{aligned}
$$

$$
P_{2}=1.02 \mathrm{~atm}
$$

Combined Gas Law

BOYLE'S LAW
$P_{1} V_{1}=P_{2} V_{2}$

CHARLES'S LAW
GAY-LUSSAC'S LAW

$$
\frac{\mathrm{V}_{1}}{\mathrm{~T}_{1}}=\frac{\mathrm{V}_{2}}{\mathrm{~T}_{2}} \quad \frac{\mathrm{P}_{1}}{\mathrm{~T}_{1}}=\frac{\mathrm{P}_{2}}{\mathrm{~T}_{2}}
$$

$P, V, T \rightarrow$ Combinal Gis Law

$$
\frac{P_{1} V_{1}}{T_{1}}=\frac{P_{2} V_{2}}{T_{2}}:[n \text { constint }]
$$

## Example Problem (combined law)

A 20-L container is filled with helium and the pressure is 150 atm and the temperature is $30^{\circ} \mathrm{C}$. How many $5-\mathrm{L}$ balloons can be filled when the temperature is $22^{\circ} \mathrm{C}$ and the atmospheric pressure is 1 atm?


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$$
\begin{aligned}
\frac{\mathrm{P}_{1} \mathrm{~V}_{1}}{\mathrm{~T}_{1}}=\frac{\mathrm{P}_{2} \mathrm{~V}_{2}}{\mathrm{~T}_{2}} \quad \frac{150 \times 20}{303.15} & =\frac{1 \times V_{2}}{295.15} \\
& 3000(295.15)=\mathrm{V}_{2}(303.15) \\
\frac{3000}{303.15} & =\frac{V_{2}}{295.15}
\end{aligned}
$$



## Real-World Application: "Deflategate"

- In 2015, the New England Patriots (an American Football team) were headed to the superbowl (again!)
$\square \quad$ That same year, they were accused of purposefully under-inflating their footballs, in an important playoff game
$\square$ Are the Patriots to blame, or can the underinflation be explained by environmental factors?
$\square$ Scientists at Carnegie Mellon University, MIT, and other institutions tried to resolve the issue

